

## Influence of solvents on the rate of electrode reactions

Zbigniew Galus

Department of Chemistry, University of Warsaw, Pasteura 1, 02-093 Warsaw, Poland

**Abstract** - The influence of single and mixed solvents on the rate of electrode reactions is discussed.

### INTRODUCTION

The thermodynamic and kinetic parameters of an electrochemical reaction are generally influenced to a quite significant degree by a change in the medium in which it is taking place. Let us consider the electroreduction of solvated metal ions which exist in the solution



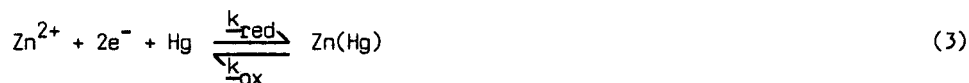
where  $k_{\text{red}}$  and  $k_{\text{ox}}$  denote the rate constants at a given potential of electroreduction and electrooxidation, respectively.

The product R of reaction (1) may be soluble either in solution as a metal ion of lower oxidation state, or in mercury when mercury electrodes are used and electroreduction (1) proceeds to the metal.

An example of the first type of reaction may be represented for instance by the equation



and the second by



where zinc amalgam is the final product.

If we would assume that the reaction (1) is irreversible, the cathodic current of such a reaction,  $I_c$ , is given by the expression

$$I_c = nFAc_{\text{ox}}^{\delta} \kappa_{e1} Z_{e1} \exp \left[ \frac{-\Delta G^{\ddagger}}{RT} \right] \exp \left[ \frac{-\alpha nF(E - E_f^0)}{RT} \right] \exp \left[ \frac{(\alpha n - z)F\phi_2}{RT} \right] \quad (4)$$

The change of solvent may influence the following parameters which appear in equation (4): the formal potential,  $E_f^0$ , the activation energy,  $\Delta G^{\ddagger}$ , the concentration of reactant at the reaction site,  $c_{\text{ox}}^{\delta}$ , the transmission coefficient,  $\kappa_{e1}$ , and the potential of the outer Helmholtz plane,  $\phi_2$ .

The heterogeneous collision frequency factor,  $Z_{e1}$ , and Tafel slopes, may also be dependent to some extent on the nature of solvent.

When the reaction is quasireversible, a more complex equation than (4) should be used to describe  $I_c$  as then the recorded current should be also a function of the solvent dependent reactant diffusion coefficient.

An illustration of the influence of the solvent on both  $E_f^0$  and the kinetics of the Mn(II)/Mn(Hg) system is shown in Fig. 1.

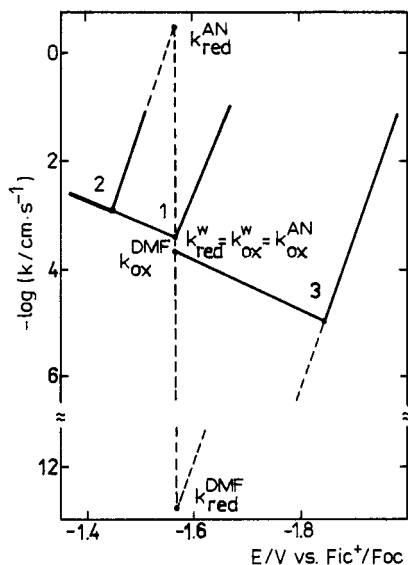


Fig. 1. Tafel plots for the Mn(II)/Mn(Hg) couple in (1) water, (2) acetonitrile, and (3) dimethylformamide.

Since, for a constant potential equation (4) may be written in a more concise form

$$\bar{I}_c = \frac{nFAc^0}{k_{ox}} k_{red}^{ap} \quad (4a)$$

one sees, from Fig. 1 and equation (4a), that the change of solvent may influence the cathodic current of the electrode for several orders of magnitude.  $k_{red}^{ap}$  is the apparent cathodic rate constant.

So-called standard rate constants, determined by the intersection of the cathodic and anodic Tafel plots, as indicated in Fig. 1, are not so much dependent on solvent, since the change of anodic rate constant,  $k_{ox}$ , at a constant potential for the Mn(II)/Mn(Hg) system is rather small.

To present the data obtained in several solvents in one plot, it is necessary to use one common potential scale. In Figure 1 the potentials are expressed with respect to the ferrocene electrode (ref. 1).

Inspection of Fig. 1 also reveals that formal potentials referred to the ferrocene scale are significantly dependent on the nature of the solvent. Such a dependence of formal or half wave potentials was studied and explained in numerous works of Gutmann and his school [see for instance (ref. 2)]. Later such dependences were analysed by Gritzner (ref. 3). Any error resulting from the use of the ferrocene electrode should have no influence on the standard rate constants determined at the formal potentials.

One should remember that in the case of more complex reactions, with participation of several electrons in the electrode process, the mechanism of the electrode reaction may be totally changed. For instance electroreduction of nitrobenzene in aqueous solutions proceeds directly in one step to phenylhydroxylamine, while in dimethylformamide this reaction occurs in a one-electron, followed by a three-electron step.

## ELECTRODE REACTIONS IN SIMPLE SOLVENTS

The standard rate constant, corrected for the influence of the double layer structure,  $k_s^{\text{COR}}$ , may be written in the form (ref. 4) [for reaction (2)]

$$k_s^{\text{COR}} = \underline{B} \exp \left[ \frac{-(\Delta G_i^\ddagger + \Delta G_o^\ddagger)}{RT} \right] \quad (5)$$

where  $\underline{B}$  is the preexponential factor; the Gibbs energy of activation involves two terms, one,  $\Delta G_i^\ddagger$ , originating from intramolecular reorganization of the reactant and the second,  $\Delta G_o^\ddagger$ , is due to reorganization of solvent around the reactant.

Both components of the energy of activation may be calculated using the following equations (ref. 4)

$$\Delta G_i^\ddagger = 0.5 \sum_i^N f_i [ (\Delta a_i) / 2 ]^2 \quad (6)$$

and

$$\Delta G_o^\ddagger = \frac{N e^2}{8} \left( \frac{1}{r} - \frac{1}{R} \right) \left( \frac{1}{D_{\text{op}}} - \frac{1}{D_s} \right) \quad (7)$$

$\Delta G_i^\ddagger$  depends on the number of bonds,  $N$ , undergoing distortions, the individual force constant of each bond,  $f_i$ , and change in equilibrium bond length,  $\Delta a_i$ , due to the change of the charge of reactant.

In equation (7)  $D_{\text{op}}$  and  $D_s$  represent the optic and static dielectric permittivities of the solvent, respectively,  $r$  is the reactant radius and  $R$  is twice the distance from the reactant in the transition state to the electrode surface.

Assuming that  $\Delta G_i^\ddagger \ll \Delta G_o^\ddagger$ , the influence of the solvent on the rate, according to equation (7), should be exerted by changes in  $D_{\text{op}}$ , since  $D_{\text{op}} \ll D_s$ . Also the change of the radius of solvated reactant plays some role.

However, since the  $(1/D_{\text{op}} - 1/D_s)$  term for different solvents changes only within narrow limits, 0.3 - 0.5, the significant changes of  $k_s$  cannot be explained solely by the change of the activation energy term.

It is also necessary to take into account the influence of the solvents on the preexponential factor,  $\underline{B}$ , though earlier it was assumed to be a solvent independent collision frequency parameter.

In the frame of an encounter preequilibrium model (ref. 5) the preexponential factor is given by the equation

$$\underline{B} = K_p \kappa_{\text{el}} \nu_n \quad (8)$$

where  $K_p$  is the formation constant of a precursor state,  $\kappa_{\text{el}}$  (as before) stands for the electronic transmission coefficient and  $\nu_n$  is the nuclear frequency factor.

In the case of simple reactions of large organic molecules and some complexes with very similar structure in the reduced and oxidized form  $\Delta G_o^\ddagger \gg \Delta G_i^\ddagger$  and then  $\nu_n$  and further  $k_s$  may be reciprocally dependent on the solvent longitudinal relaxation time  $\tau_L$ .

However when  $\Delta G_i^\ddagger$  increases it is expected (ref. 6) that  $\nu_n \propto \tau_L^{-p}$ , with  $0 < p < 1$ . Nielson and Weaver (ref. 7) have confirmed these expectations in their studies of cobalt(III, II) clathrochelates.

Marcus (ref. 4) assumed that the equilibrium solvent dielectric polarization occurs simultaneously with the electron transfer. In the new approach it is assumed that when the frequency of changes of the electrical field exceeds the frequency of reorientation of solvent molecules, this reorientation determines the effective frequency of reorganization of the reacting systems.

The important role of the dynamics of solvent reorganization in the charge transfer reactions was pointed in several papers (refs 8 - 10).

When the Gibbs energy of reaction is equal to zero and reorientation of solvent molecules is

not limited by the thermic rotation (ref. 8) the effective frequency of reaching the transition state is (ref. 9):

$$v_n = \tau_L^{-1} \left[ \frac{\Delta G^\ddagger}{4 \pi RT} \right]^{1/2} \quad (9)$$

By combining equation (4), (8) and (9) one obtains

$$k_s^{\text{cor}} = \kappa_{el} k_p \tau_L^{-1} \left[ \frac{\Delta G^\ddagger}{4 \pi RT} \right]^{1/2} \exp \left[ \frac{-\Delta G^\ddagger}{RT} \right] \quad (10)$$

Two limiting cases, corresponding either to limitation of the rate constant by the height of the activation barrier or by the change of frequency of reaching the transition state, are now expected. In the intermediate cases both  $\tau_L$  and  $\Delta G^\ddagger$  influence the rate of the electrode reaction. Therefore experimental studies of different systems in various solvents have established different dependences of the rate constant on the solvent properties.

An approximately linear dependence of  $k_s$  on  $\tau_L^{-1}$  was observed for the electrode reaction of salene complexes of transition metals in aprotic solvents (ref. 11). Also studies of the electrode reactions of phenothiazine (ref. 12), *p*-phenylenediamine (ref. 13) and metallocenes (refs 14, 15), as well as the electroreduction of acetylaceton complexes of cobalt(III) (ref. 16) and chromium(III) (ref. 17), have revealed a linear relationship between  $k_s$  and  $\tau_L^{-1}$ . A different dependence was observed (refs 12, 13) for protolytic solvents which have hydrogen bonds and in consequence exhibit several relaxation times.

Weaver and Gennett (ref. 18) studied the anodic oxidation of ferrocene in several solvents with different  $D_s$ ,  $D_{op}$  and  $\tau_L$  parameters. Since practically no dependence of  $k_s$  on these parameters was found, the authors concluded that there is compensation of influences on  $\Delta G^\ddagger$  and frequency with regard to reaching the transition state.

Also the linear dependence of  $\log k_s$  on  $(D_{op}^{-1} - D_s^{-1})$  was found in the case of the electroreduction of quinone (ref. 19) and the electrooxidation of diaminobenzenes (ref. 20), and for various homogeneous charge transfer reactions.

Fawcett (ref. 21) analysed several processes using an equation involving two parameters.

Though he considered charge transfer and ion transfer reactions in the same fashion, such an analysis is more valid for the former. Ion transfer reactions of solvated cations were studied by a number of workers; such reactions need not be discussed here as they have been cited and referred in several other publications (refs 21 - 23). In the case of such reactions, several equations which relate the rate constant (or energy of activation  $\Delta G^\ddagger$ ) of such processes to different parameters, which depend either on the properties of the solvents used or the reactant ion studied, were used in the analysis

$$\Delta G^\ddagger = a + b \Delta G_{tr} \quad (\Delta G_{\text{solv}}) \quad (\text{refs 21, 22}) \quad (11)$$

$$\log k_s = c + d \text{ DN} \quad (\text{ref. 23}) \quad (12)$$

$$\ln(k_s \tau_L) = e + f \text{ DN} \quad (\text{ref. 21}) \quad (13)$$

$$\ln k_s = g - h \ln \tau_L + i \text{ DN} \quad (\text{ref. 24}) \quad (14)$$

$$Y_{\text{red}} = \frac{RT}{S_c} (\ln k_{\text{red}}^S - \ln k_{\text{red}}^W) = S_c \Delta G_{tr} \quad (\text{ref. 23}) \quad (15)$$

$$Y_{\text{ox}} = \frac{RT}{S_a} (\ln k_{\text{ox}}^S - \ln k_{\text{ox}}^W) = S_a \Delta G_{tr} \quad (\text{ref. 23}) \quad (16)$$

where  $a - i$  are constants, DN is the Gutmann's donor number,  $\Delta G_{tr}$  - the Gibbs energy of transfer,  $S_c = \bar{\alpha} + \alpha$  and  $S_a = \bar{\alpha} - \beta$ , where  $\alpha$  and  $\beta$  are the transfer coefficients of the cathodic and anodic reaction, respectively.  $\bar{\alpha}$  is defined by the equation

$$Y = \frac{RT}{S_c} (\ln k_s^S - k_s^W) = \bar{\alpha} \Delta G_{tr} \quad (\text{ref. 23}) \quad (17)$$

Superscripts *s* and *w* refer to the organic solvent and water, respectively;  $k_{red}$  and  $k_{ox}$  are the rate constants calculated at constant potential in the ferrocene electrode scale [ other so-called solvent independent electrode may be used (ref. 25) ].

Some other correlations were also attempted (ref. 24) and the results of the analyses according to equations (11) - (16) are given in Table 1.

TABLE 1. Results of analysis of ion transfer electrode reactions at mercury electrodes according to equations (11) - (16) (refs 21 - 24);  $\bar{n}$  - number of solvents,  $\bar{r}$  - the correlation coefficient

Deposited metal	Li	Na	K	Ca	Sr	Ba	Eu	Mn	Cd	Pb	Zn	Ni
$\bar{a}$	38.0					42.9		40.4		17.9		
Eq. $\bar{b}$	-0.44	-0.1				-0.12		-0.16		-0.16	-0.10	-0.13
(11) $\bar{r}$	0.97					0.992		0.994		0.95	0.89	0.98
$\bar{n}$	5					3		4		3	8	4
$\bar{S}_c$	1.1	0.75	0.6	0.77	0.8	0.86	0.9	0.99		0.6	0.38	
Eq. $\bar{S}_a$				-0.05	$\sim 0$	$\sim 0$	0.1	0.05				
(15, 16) $\bar{r}_{cat}$	0.99	1.0	-	1.0	-	0.99	-	1.0		-	0.99	
$\bar{n}$	5	4	2	3	2	4	2	3		2	8	
$\bar{c}$	1.9	0.63	2.5		-1.52	1.2	0.22	-0.02		3.4	2.7	2.9
Eq. $\bar{d}$	-0.21	-0.061	-0.13		-0.16	-0.12	-0.21	-0.22	poor correlation	-0.17	-0.14	-0.15
(12) $\bar{r}$	0.97	0.99	0.93		-	0.96	-	0.96		0.997	0.90	0.993
$\bar{n}$	5	5	3		2	3	2	4		3	7	4
$\bar{e}$	-29.3								-30			
Eq. $\bar{f}$	-0.40								-0.11			
(13) $\bar{r}$	0.97								0.864			
$\bar{n}$	6								6			
$\bar{h}$	1.4	0.95							1.13			
Eq. $\bar{i}$	$\bar{n} = 0.35$	$\bar{n} = 0.34$							$\bar{n} = 0.62$			
(14) $\bar{j}$	-0.35	-0.03							0.092			
	$\bar{I} = 0.65$	$\bar{I} = 0.66$							$\bar{I} = 0.38$			
$\bar{r}$	0.986	0.996							0.967			
$\bar{n}$	6	4							6			

Analysis of existing data for metal solvates reduced to corresponding amalgams, and treated according to equation (15), exhibited linear behaviour with slopes  $\bar{S}_c$  usually within the limits 0.5-1.0. Such linearity suggests a similar mechanism in the case of a given electrode system for the solvents involved. The only exceptions were for zinc,  $\bar{S}_c$  was equal 0.38 (this reaction has quite low  $\alpha$ ), and lithium,  $\bar{S}_c = 1.1$ . This last result is surprising since in simple terms it suggests that the change of the Gibbs energy of activation exceeds the change of the Gibbs energy of reaction.

For these reactions where  $\bar{S}_c$  was found to be near to 1,  $\bar{S}_a$  was near to zero. An example is the case illustrated by the reaction of the Mn(II)/Mn(Hg) system in Fig. 1.

For practical predictions the good linear dependence observed between  $\log k_s$  and DN for all studied so far systems is very important (ref. 22).

Reaction is always slower when the reactant is reduced from a solvent of high Lewis basicity; such behaviour is independent of the rate of the electrode reaction.

### ELECTRODE REACTIONS IN MIXED SOLVENTS

The majority of studies in this area are concerned with solvent systems in which water is one component of the mixture.

Now, in order to explain the behaviour of different electrode systems in such mixtures one should take into account the interaction of the solvents both with the reactant and with the electrode.

Frequently molecules of the organic solvent are strongly adsorbed on the electrode surface even at low concentrations of this solvent where its interaction with the reactant at this concentration range may be negligible. Under such conditions one may expect that the second solvent at the lower concentration range will behave as a typical inhibitor.

One may easily distinguish such behaviour from that where either resolution of reactant occurs at higher organic solvent concentration, or when both processes occur simultaneously, by studying the dependence of the rate constant at a given potential on the Gibbs energy of transfer of the reactant under investigation from water to the mixture involved (ref. 26). Examples of plots in this area are shown in Fig. 2 (ref. 26).

The behaviour of zinc(II) in mixtures of water with hexamethylphosphortriamide (HMPT) (curve 1), and water with acetone (curve 2), show the significant decrease of the rate constant in comparison with the rate in aqueous solutions. On the ordinate axis here the parameter involved,  $\underline{Y}_{\text{red}}^m$ , is defined by the equation

$$\underline{Y}_{\text{red}}^m = \frac{RT}{F} (\ln \underline{k}_{\text{red}}^m - \ln \underline{k}_{\text{red}}^w) \quad (18)$$

One sees that for these solutions there is significant decrease of  $\underline{Y}_{\text{red}}^m$  as  $\Delta G_{\text{tr}}$  approaches zero. Such behaviour reveals that the zinc(II) ion is not interacting with the added solvent and thus the decrease of the rate constant may be ascribed to the progressive coverage of the electrode surface by the molecules of organic solvent.

Under such condition  $\underline{Y}_{\text{red}}^m$  or  $\underline{k}_{\text{red}}^m$  should be related to  $(1 - \theta)$  by the equation given by Parsons (ref. 27) for the inhibition of electrode reactions, viz.

$$\frac{\underline{k}_{\text{red}}^m}{\underline{k}_{\text{red}}^w} = (1 - \theta)^{\underline{r}^\ddagger} \quad (19)$$

or, using  $\underline{Y}_{\text{red}}^m$  notation,

$$\underline{Y}_{\text{red}}^m = \frac{RT}{F} \ln (1 - \theta)^{\underline{r}^\ddagger} \quad (20)$$

In equations (19) and (20)  $\theta$  denotes the surface coverage and  $\underline{r}^\ddagger$  is the number of water molecules removed from the surface to make the place for one reactant molecule.

For several systems the variation of  $\log \underline{k}_{\text{red}}^m$  vs  $\log (1 - \theta)$  was linear; the slopes were similar to those obtained in the case of other species reacting under conditions where the processes were inhibited by higher aliphatic alcohols (ref. 28).

The increase of concentration of the organic solvent to such values that  $\Delta G_{\text{tr}}$  starts to assume value different from zero, makes a further change of the rate constant. If  $\Delta G_{\text{tr}}$  is positive (reactant is less solvated) then  $\underline{Y}_{\text{red}}^m$  increases to meet the straight line 4 which gives the dependence of  $\underline{Y}_{\text{red}}^m$  on  $\Delta G_{\text{tr}}$  for zinc(II) in the case of the pure solvents. Such behaviour is observed for zinc(II) in water-acetone mixtures (Fig. 2 curve 2). When  $\Delta G_{\text{tr}}$  assumes negative values in  $\text{H}_2\text{O}$  - HMPT mixtures (curve 1),  $\underline{Y}_{\text{red}}^m$  further decreases, but with considerably lower intensity.

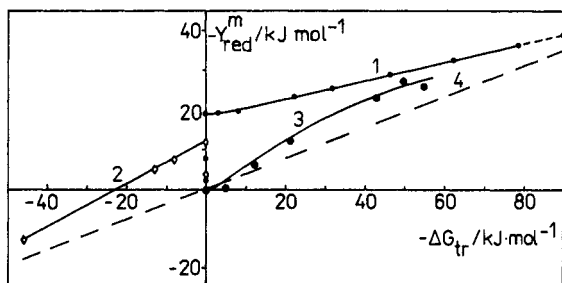


Fig. 2. Dependence of  $Y_{red}^m$  on  $\Delta G_{tr}$  for Zn(II) reduction in (1)  $H_2O + HMPT$ , (2)  $H_2O + acetone$ , (3)  $H_2O + DMF$ , (4) dependence in single solvents.

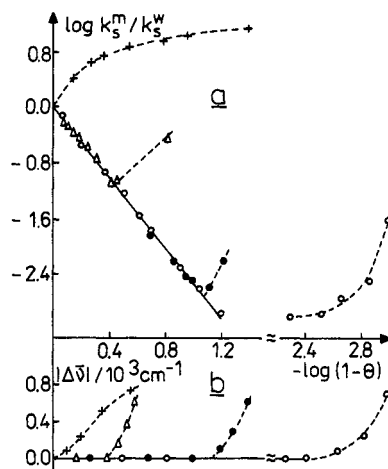


Fig. 3. Interrelations of the V(III)/V(II) electrode reaction standard rate constant (a) and resolution of V(III) (b) in  $H_2O$  - organic solvent mixtures: + - DMF,  $\Delta$  - DMPU,  $\bullet$  - HMPT, o - AN, for details see (ref. 29).

This dependence should also coincide with line 4, when it approaches the pure organic solvent.

Curve 3 in Fig. 2 represents the dependence for zinc(II) interacting with DMF in  $H_2O$  - DMF mixtures at low concentrations of the organic solvent.

Such an explanation is clearly supported by the dependence given in Fig. 3 of  $\log \frac{k_s^m}{k_s^w}$ , and the difference in the wavenumbers  $\Delta\bar{\nu}$  of the absorption maxima of V(III) in aqueous solution and in water-organic solvent mixtures on  $\log(1 - \theta)$  (ref. 29).

One sees that there is very good correlation between the beginning of resolution and the change from inhibition to acceleration of the rate with further increase of the organic solvent concentration [ decrease of  $(1 - \theta)$  ].

The common straight line in Fig. 3, for different solvents (inhibitors), is a good illustration of the validity of equation (19).

There may also be a different type of behaviour: this is observed when even a small amount of organic solvent changes both  $\Delta G_{tr}$  and  $\Delta\bar{\nu}$ , and increases the rate constant of the reaction (Figs 2 and 3). Inhibition of the electrode reaction is not observed in this case because the reactant ion, solvated preferentially by the organic solvent, may easily approach the electrode surface which is also preferentially populated by the organic solvent.

Line 4 in Fig. 2 represents the change of  $k_{red}$  on  $\Delta G_{tr}$  for pure solvents (ref. 23) described by equation (15). The deviations from this dependence are due to the composition difference of the bulk and surface phases given by the relative surface excess of the organic component  $\Gamma$  (ref. 26).

$$\frac{k_{red}^m}{k_{red}^w} = k_{red}^w \exp \left( \frac{S_c \Delta G_{tr}}{RT} \right) \underline{p}(\Gamma) \quad (21)$$

where  $\underline{p}(\Gamma)$  is a function of the surface excess  $\Gamma$ .

The relation between  $\underline{p}(\Gamma)$  and  $\Gamma$  may be established by dividing the electrode reaction into three steps consisting of (i) partial desolvation of the reactant in the solution, (ii) removal of a solvent molecules (associates) from the electrode surface, or selective resolution with surface organic molecules, and (iii) the formation of the activated complex fol-

lowed by ion transfer into the amalgam phase:

$$P(\Gamma) = (1 - \Gamma/\Gamma_{\infty})^a + \frac{k_{\text{red}}^i}{k_{\text{red}}^w} \frac{K^i \Gamma^b}{(\Gamma_{\infty}^b k_{\text{red}}^w)} \quad (22)$$

By combining equations (21) and (22) one gets

$$k_{\text{red}}^m = \left[ \frac{k_{\text{red}}^w}{k_{\text{red}}^w} (1 - \theta)^a + k_b \theta^b \right] \exp \left( \frac{S_c \Delta G_{\text{tr}}}{RT} \right) \quad (23)$$

When  $\Delta G_{\text{tr}} = 0$  and surface coverage  $\theta$  is not very large equation (23) simplifies to the equation given by Parsons (ref. 27).

One sees that for large  $\theta$  the first term in the brackets in eq. (23) may be neglected in comparison with the second one,  $k_b \theta^b$ . Since  $\theta$  is then virtually equal to one, the shape of the  $\log k_{\text{red}}^m - \Delta G_{\text{tr}}$  dependence is determined by the resolution of the reactant, including resolution at the electrode surface.

Recently we studied (ref. 30) the electrode kinetics of the V(III)/V(II) system in water and 1,3-dimethyl-3,4,5,6-tetrahydro-2(1H)-pyrimidinone (DMPU) mixtures. The electrochemical experiments were accompanied by the study of the resolution of the vanadium ions with DMPU molecules using visible spectroscopy. Also for that system one observes a dramatic decrease of the rate, as we discussed before, due to progressing coverage of the electrode by DMPU. At  $x_{\text{DMPU}} \geq 0.1$  when the degree of the surface coverage,  $\theta$ , is in the range 0.9 - 1.0 the kinetics, as we discussed above, is determined largely by the solvation of the reactant. For  $x_{\text{DMPU}} \geq 0.1$  the values of  $\delta$  both for V(III) and V(II) were found on the basis of spectrophotometric experiments, to be practically equal. Since  $\delta$  may be simply related to the average number of organic molecules bound to the vanadium ions, one may assume that in mixtures of water with DMPU, the average compositions of the inner solvation shells of V(III) and V(II) are equal (Fig. 4).

Using equation (5) we may analyse more closely the reasons of the change of  $k_s$  observed for that system.

Expressing  $\underline{b}$  by equation (8) one finds that  $K_p$  and also the transmission coefficient which is distance sensitive are only slightly dependent on the solvent (ref. 31).

In many solvents  $v_n$  and in consequence  $k_s$  increases with a decrease of the solvent longitudinal relaxation time  $\tau_L$ . But this model is not obeyed by the V(III)/V(II) system; this is well illustrated by the over one order of magnitude higher  $k_s$  in DMF than in aqueous solutions, though  $\tau_L$  is equal 1.3 ps (ref. 31) and 0.19 ps (ref. 7) for DMF and  $\text{H}_2\text{O}$ , respectively. The reason of such behaviour may be the comparable magnitude of  $\Delta G_i^\ddagger$  and  $\Delta G_o^\ddagger$ , as we observed earlier for the Eu(III)/Eu(II) couple in several solvents (ref. 32). Under such conditions the inner sphere bond vibrations  $v_i$  contribute mostly to the preexponential factor.

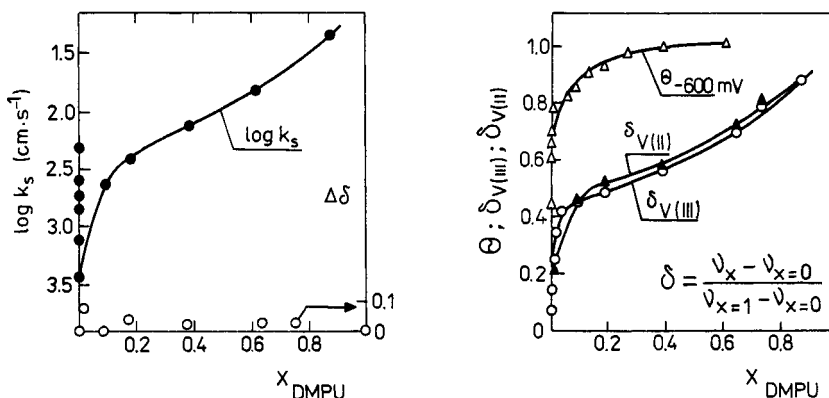


Fig. 4. Influence of DMPU concentration in  $\text{H}_2\text{O}$  - DMPU mixtures on  $\log k_s$ ,  $\theta$  (at  $\underline{E} = -600$  mV vs SCE),  $\delta_{\text{V(III)}}$ ,  $\delta_{\text{V(II)}}$  and  $\Delta\delta$ .



Substitution of  $H_2O$  molecules by DMPU molecules, changes the inner shell bond vibrations  $\nu_i$ . Since V-DMPU vibrating group has larger effective mass than V- $H_2O$ , one may suppose that  $\nu_{V-DMPU} < \nu_{V-H_2O}$ . This conclusion suggests, opposite to experimental observations, that the rate constant<sup>2</sup> of the V(III)/V(II) system should decrease when resolvation with DMPU increases. However, the difference between  $\nu_{V-DMPU}$  and  $\nu_{V-H_2O}$  should be rather small.

In addition to dynamic effects, the changes in the coordination sphere may influence also the activation energy. It is difficult to calculate  $\Delta G_1^\ddagger$  for the V(III)/V(II) +  $H_2O$  + DMPU system; however, it is reasonable to assume that it is easier to change the V- $H_2O$  bond than V-DMPU, since water is less strongly coordinated by vanadium than DMPU. Such a dependence between rate constant and  $\Delta G_1^\ddagger$  was earlier observed (ref. 32) for the Eu(III)/Eu(II) couple in several solvents. In consequence  $\Delta G_1^\ddagger$  should increase on substitution of  $H_2O$  by DMPU according to the change of  $\delta$ , but this disagrees with experimentally observed increase of  $k_s$ . As a result the observed behaviour should be explained by the change of  $\Delta G_0^\ddagger$  given by equation (7). Using this equation we calculated values of  $\Delta G_0^\ddagger$  and found that they decrease with the increase of DMPU content to reach finally a plateau for  $x_{DMPU} > 0.5$ .

The importance of the molecular aspects of solvent reorganization is shown in Fig. 4 where the shape of the  $\log k_s$  on  $x_{DMPU}$  and  $\delta_{V(III)}$  (or  $\delta_{V(II)}$ ) on  $x_{DMPU}$  dependences are very similar.

Since such behaviour cannot be explained by inherent changes of the inner coordination sphere, one can suppose that the composition of the inner sphere influences the reorganization of the surrounding solvent. Such interdependence between inner and outer sphere may be due to hydrogen bonds. When  $H_2O$  molecules are substituted by DMPU the number of hydrogen bonds between the inner shell and the outer shell gradually diminishes, making the outer sphere more facile to the reorganization and accordingly to an increase in  $k_s$  of the V(III)/V(II) system.

Coordinated DMPU molecules do not contain any polar groups which could participate in hydrogen bonding with outer sphere water molecules. In pure DMPU the secondary solvation shell of the ion is ordered almost exclusively by nonspecific charge - dipole interactions. Such behaviour may occur also in other mixed solvent systems when water molecules are substituted in the first coordination sphere by molecules of solvents which are not hydrogen bond donors.

## CONCLUSIONS

The influence of solvents on simple charge transfer reactions is relatively well described by the theory, if  $\Delta G_1^\ddagger < \Delta G_0^\ddagger$  (ref. 21). The analysis of such reactions given by Fawcett (ref. 21) shows also that the Marcus expression (ref. 4) for  $\Delta G_0^\ddagger$  is valid for such simple electrode reactions.

In the case of ion transfer (deposition type) reactions the situation is more complex, because these reactions may proceed in several charge transfer steps. Also the chemical step may control such reactions.

Therefore a poor fit of experimental data to model equations may result, among other things, from choice of improper model or from change of the mechanism with the nature of solvent. However, also in the case of the correct choice of the model equation, the correlation may not be satisfactory.

One of the reasons, is a frequent use in correlations of the rate constants not corrected for the double layer effects.

This influence of the double layer on  $k_s$  described by the equation

$$k_s^{ap} = k_s^{cor} \exp \frac{(\alpha \eta - z) F \psi_2}{RT} \quad (24)$$

may be significant and different in various solvents. In order to minimize this influence,

when the double layer data are not available, one should use rather high concentration of background electrolyte with non surface-active ions. The correction given by equation (24) may be not always effective, because the reaction site in different solvents may not coincide with the outer Helmholtz plane.

Also, when one uses solvents with low dielectric permittivity, the ion pair formation by background electrolyte and reactant ions may complicate the calculation of  $\Phi_2$  potential and in consequence the use of equation (24).

To understand more properly the mechanism of the charge transfer and the ion transfer reactions, further work on various electrode systems in solvents with different properties should be carried out.

## REFERENCES

1. H. M. Koepp, H. Wendt and H. Strehlow, Z. Elektrochem., **64**, 483 (1960).
2. V. Gutmann, The Donor Acceptor Approach to Molecular Interactions, Plenum Press, New York (1978);  
V. Gutmann and R. Schmid, Monatsh. Chem., **100**, 2113 (1969).
3. G. Gritzner, J. Phys. Chem., **90**, 5478 (1986).
4. R. A. Marcus, J. Chem. Phys., **43**, 679 (1965).
5. G. M. Brown and N. Sutin, J. Am. Chem. Soc., **101**, 883 (1979);  
J. T. Hupp and M. J. Weaver, J. Electroanal. Chem., **152**, 1 (1983).
6. R. A. Marcus and H. Sumi, J. Electroanal. Chem., **204**, 59 (1986);  
H. Sumi and R. A. Marcus, J. Chem. Phys., **84**, 4894 (1986).
7. R. M. Nielson and M. J. Weaver, J. Electroanal. Chem., **260**, 15 (1989).
8. D. F. Calef and P. G. Wolynes, J. Chem. Phys., **78**, 470 (1983).
9. D. F. Calef and P. G. Wolynes, J. Phys. Chem., **87**, 3387 (1983);  
L. D. Zusman, Chem. Phys., **49**, 295 (1980).
10. L. D. Zusman, Elektrokhimiya, **21**, 621 (1985).
11. A. Kapturkiewicz and B. Behr, J. Electroanal. Chem., **179**, 187 (1984).
12. M. Opałło and A. Kapturkiewicz, Electrochim. Acta, **30**, 1301 (1985).
13. M. Opałło, J. Chem. Soc. Faraday Trans. I, **82**, 339 (1986).
14. T. Gennett, D. F. Milner and M. J. Weaver, J. Phys. Chem., **89**, 2787 (1985).
15. G. E. McManis, M. N. Golovin and M. J. Weaver, J. Phys. Chem., **90**, 6563 (1986).
16. A. Urbańczyk, K. Wrzesińska and M. K. Kalinowski, Polish J. Chem., **61**, 247 (1987).
17. A. Urbańczyk, Ph.D. Thesis, University of Warsaw, 1990.
18. M. J. Weaver and T. Gennett, Chem. Phys. Lett., **113**, 213 (1985).
19. C. Russel and W. Jaenicke, J. Electroanal. Chem., **180**, 205 (1984).
20. G. Grampp and W. Jaenicke, Ber. Bunsenges. Phys. Chem., **88**, 325 (1984).
21. W. R. Fawcett, Langmuir, **5**, 661 (1989).
22. J. Broda and Z. Galus, J. Electroanal. Chem., **198**, 233 (1986).
23. K. Maksymiuk and Z. Galus, J. Electroanal. Chem., **234**, 361 (1987).
24. G. M. Brisard and A. Lasia, J. Electroanal. Chem., in press.
25. G. Gritzner and J. Kuta, Pure Appl. Chem., **54**, 1527 (1982).
26. K. Maksymiuk, J. Stroka and Z. Galus, J. Electroanal. Chem., **248**, 35 (1988).
27. R. Parsons, J. Electroanal. Chem., **21**, 35 (1969).
28. J. Lipkowski and Z. Galus, J. Electroanal. Chem., **61**, 11 (1975).
29. W. Górski and Z. Galus, Electrochim. Acta, **33**, 1397 (1988).
30. W. Górski and Z. Galus, J. Electroanal. Chem., in press.
31. W. R. Fawcett and C. A. Foss, Jr., J. Electroanal. Chem., **252**, 221 (1988).
32. H. Elżanowska, Z. Galus and Z. Borkowska, J. Electroanal. Chem., **157**, 251 (1983).